## Theocritus 17.2 Once Again

' Εκ Διός ἀρχώμεσθα καὶ ἐς Δία λήγετε Μοῖσαι, ἀθανάτων τὸν ἄριστον, ἐπὴν †ἀείδωμεν ἀοιδαῖς...

Gow on Theocritus 17. If proves that  $d\vartheta av d\pi \omega v \tau \delta v \, d\varrho u \sigma \tau \sigma v$ is in apposition to  $\Delta ia$ , and cannot be the object of  $d\epsilon i\delta \omega \mu \epsilon v$ . The manuscripts give  $d\epsilon i\delta \omega \mu \epsilon v$  and  $di\delta \omega \mu \epsilon v$ . The correction to  $d\delta \omega \mu \epsilon v$ is easy enough, and the unmetrical  $d\epsilon i\delta \omega \mu \epsilon v$  perhaps arose from the following word  $(d\epsilon \iota -: do \iota -)^1$ ). Gow rejected the vulgate  $d\delta \omega \mu \epsilon v$  because he thought it would have to take  $\tau \delta v \, d\varrho u \sigma \tau o v$  as its object<sup>2</sup>), but failed to consider the possibility that the object might follow  $d\delta \omega \mu \epsilon v$ . I thought of  $do i \delta d \delta \zeta$ , a conjecture that I have since found to have been proposed by J. A. Hartung. The dative with  $d\delta \omega \mu \epsilon v$  would not be impossible, but an accusative with this verb is the usual construction in Theocritus: Cf. [9]. 28–29:  $d\delta d v / \tau d v (d\delta d \zeta / \tau d \zeta : PQ^2 W) \pi \sigma x' \delta v \partial \tau \eta voici ... \delta \epsilon i \sigma a vo \mu \epsilon v \sigma i \delta \delta a \mu \alpha \pi \delta \sigma a \epsilon \delta \delta c \delta \delta \gamma \mu \rho \sigma \tau \delta \sigma \delta \delta \tau \eta \alpha \sigma \sigma \delta \pi \epsilon \rho u \pi \lambda \delta \kappa \tau \sigma i \delta^3$ . I therefore conclude that Hartung's  $d\delta \omega \mu \epsilon v \, do i \delta d \zeta$  is the most reasonable solution to this

<sup>1)</sup> See Gow ad loc.

<sup>2)</sup> CQ 13 (1919) 22, note 1.

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uncertain passage, and that attention should again be called to his conjecture in view of the universal neglect it has received from all recent editors<sup>4</sup>).

Providence, R.I. Brown University Stanley Shechter